

Fig. 1. (a) Hydrogen bonding scheme, showing the locations of the hydrogen atoms. (The true positions of these atoms may not correspond to precisely linear hydrogen bonds, as depicted.) (b) Alternate, and only slightly less favorable, arrangement of the hydrogen atoms of the water molecules O(9) and O(11).

The present note completes that discussion by including the rest of the hydrogen bond donor and acceptor atoms. It is comforting that in this complicated structure the principles governing hydrogen bond formation (Donohue, 1952) are nicely adhered to. Finally, the 'very low' ionic character in an isolated HI molecule is not germane to this alkaloid salt.

This work was supported by a grant from the U.S. Army Research Office.

References

CLARK, J. R. (1963). Acta Cryst. 16, 702. DONOHUE, J. (1952). J. Phys. Chem. 56, 502. PRZYBYLSKA, M. (1961). Acta Cryst. 14, 429.

Acta Cryst. (1964). 17, 772

Powder indexing and lattice constants for ThC₂. By P. K. Gantzel and N. L. Baldwin, General Atomic Division of General Dynamics Corporation, John Jay Hopkins Laboratory for Pure and Applied Science, San Diego, California, U.S.A.

(Received 20 January 1964)

In the course of studying phase relationships between some metal carbides, it was desirable to have a set of indices for the powder pattern of ThC₂. A single-crystal study carried out by Hunt & Rundle (1951) provided the necessary information to calculate the powder pattern

for ThC_2 . However, the calculated d spacings varied sufficiently from our observed pattern to necessitate successive trial indices. An X-ray pattern was recorded with the use of $\text{Cr }K\alpha$ radiation in a 114-6 mm Straumanisloading Debye-Scherrer camera filled with hydrogen.

Table 1. ThC₂ powder pattern with Cr Ka radiation

				1			
No.	hkℓ	Hk Lª	θ Observed	θ ₀ -θ _c ×100	d(A) Observed	I <u>b</u> Calculated	<u>I^C</u> Observed
1	111	012	20,35	-2	3.294	76	30
2	002 200	202 202	20.63		3.252	45 40	} 40
. 3	111	210	22. 85	1	2. 949	100	100
• 4	202	004	25.76	0	2.636	52	50
5	112	311	30.46	-2	2. 259	10	3
6	020	020	32.87	1	2.111	23	5
7	202	400	33.62	-2	2.069	32	5
8	021	121	34.77	2	2. 009	24	4
9	113	214	35.52	5	1.972	57	35
10	311	214	35.70	-1	1.963	64	35
11	022 220	22 2 222	40.28		1.772	36 35	} 40
12	113	412	40.68	-2	1.757	50	20
13	311	412	40.90	-2	1.749	45	20
14	221	321	43.83	6	1.654	12	3
15	222	024	43.98	2	1.650	35	3
16	204 313 400	20 6 016 404	44.83		1,625	25 41 28	50
17	402	206	45.16	-0	1.615	20	5
18	023	323	48. 94	- 5	1.519	11	4
19	222	420	50, 74	-1	1.479	35	30
20	130	131	56. 22	-3	1. 378	35	10
21	131	032	57. 25	1	1.362	28	10
22	204 402 131	60 2 602 230	59. 05		1.336	38 36 21	30
23	404	008	60.13	3	1.321	37	30
24	313	610	60.80	2	1.312	56	30
25	223 024 13 2	521 424 133	62.25		1.294	32 4 9 3 9	} 50
26	22 4 420	22 6 424	62.86		1.287	51 52	} 30
27	11 <u>5</u> 422	416 226	63.13		1. 284	77 51	} 30
28	511	416	63.96	-3	1.275	64	20
29	132	331	66.66	1	1. 248	68	25
30	421	523	69.74	-2	1.221	48	10
31	315	218	71.27	-1	1.210	1 02	30
32	513	218	72.02	-0	1.204	130	40
33	$\begin{array}{c} 13\overline{3} \\ 33\overline{1} \end{array}$	23 4 234	74. 02		1. 191	51 45	} 10
34	330 115	33 <u>3</u> 61 <u>4</u>	75. 92		1.181	116 129	10 10
35	511	614	77. 75	2	1. 172	167	10

 $\frac{a}{H} = h + \ell$, L = h - ℓ .

 $\frac{b}{C}$ Calculated from Hunt and Rundle's (1951) parameters and cylindrical absorption corrections based on $\mu R = 100$.

CRough visual estimates.

The carbide sample (85·60% Th, $14\cdot25\%$ total carbon, $5\cdot45\%$ free carbon, 228 ppm O_2 , 51 ppm N_2 , 15 ppm H_2) was loaded into a Lindemann glass capillary in an inertatmosphere dry box. The lattice constants were refined by a Nelson-Riley analytical extrapolation least-squares program on an IBM 7090.

The observed θ values and the differences between the observed and calculated θ values are listed in Table 1. Two sets of indices are given in the table, one based on the monoclinic cell of Hunt & Rundle and the other derived from the following index transformations: H=h+l and L=h-l. Although the latter correspond to an unorthodox set of monoclinic a and c axes, they subtend an angle almost equal to 90° ; thus, only small differences in the positions of HkL and $Hk\overline{L}$ lines are seen in Table 1. Kempter & Krikorian (1962), in fact, assumed a 90° β angle in their analysis of the ThC₂ powder pattern, but this resulted in many indexing errors of higher angle lines $(e.g.\ 315$ is assigned the indices 425). Revision of some of their indexing assignments has resulted in the latice constants given in Table 2. These

Table 2. Lattice parameters for ThC₂

Hunt & Rundle (1951)	Present work*			
a = 6.53 Å $b = 4.24 Å$ $c = 6.56 Å$	$a = 6.691 \pm 0.001 \text{ Å}$ $b = 4.231 \pm 0.001 \text{ Å}$ $c = 6.744 \pm 0.002 \text{ Å}$			
$\beta = 104^{\circ}$	$\beta = 103^{\circ} 50' \pm 1'$			
A = 8.05 Å b = 4.24 Å C = 10.31 Å	$ A = 8 \cdot 287 \pm 0 \cdot 002 (8 \cdot 285 \pm 0 \cdot 005 \dagger) \text{ Å} $ $ b = 4 \cdot 231 \pm 0 \cdot 001 (4 \cdot 225 \pm 0 \cdot 002 \dagger) \text{ Å} $ $ C = 10 \cdot 575 \pm 0 \cdot 002 (10 \cdot 585 \pm 0 \cdot 005 \dagger) \text{ Å} $			
	$\beta' = 90^{\circ} 28' \pm 1' (90^{\circ} 26' \pm 3' \dagger)$			

* Based on a Cr Ka wavelength of 2.2909 Å.

 \dagger Calculated from d spacings of Kempter & Krikorian (1962).

show approximate agreement with our lattice constants, and the small differences may result from the compositions implied by chemical analyses – $ThC_{1\cdot89}$ for Kempter & Krikorian (1962) and $ThC_{1\cdot99}$ for the present work.

We are grateful to Deane K. Smith for his FORTRAN program which was used to calculate the powder pattern. We are also indebted to R. E. Vogel & C. P. Kempter, whose FORTRAN program formed the basis for refinement of the monoclinic lattice constants.

References

Hunt, E. B. & Rundle, R. E. (1951). J. Amer. Chem. Soc. 73, 4777.

KEMPTER, C. P. & KRIKORIAN, N. H. (1962). J. Less-Common Metals, 4, 244.